Options=[sansmath]

The boundedness of  $\Phi_0$  then yields

$$\int_{D} |\overline{\partial}u|^2 e^{\alpha |z|^2} \ge c_6 \alpha \int_{D} |u|^2 e^{\alpha |z|^2} + c_7 \delta^{-2} \int_{A} |u|^2 e^{\alpha |z|^2}$$

Let B(X) be the set of blocks of  $\Lambda_X$  and let b(X) := |B(X)|. If  $\varphi \in Q_X$  then  $\varphi$  is constant on the blocks of  $\Lambda_X$ .

$$P_X = \{ \varphi \in M \mid \Lambda_{\varphi} = \Lambda_X \}, \qquad Q_X = \{ \varphi \in M \mid \Lambda_{\varphi} \ge \Lambda_X \}.$$
(1)

If  $\Lambda_{\varphi} \ge \Lambda_X$  then  $\Lambda_{\varphi} = \Lambda_Y$  for some  $Y \ge X$  so that

$$Q_X = \bigcup_{Y \ge X} P_Y.$$

Thus by Möbius inversion

$$P_Y = \sum_{X \ge Y} \mu(Y, X) Q_{\hat{X}}.$$

Thus there is a bijection from  $Q_X$  to  $W^{B(X)}$ . In particular  $|Q_X| = w^{b(X)}$ .